

ma-frame-compat^{11,40}

ma-frame-compat($A;B$)

$\equiv_{\text{def}} \forall a \in \text{dom}((A.2.2.2).1). p = (A.2.2.2).1(a) \Rightarrow B.\text{rframe}(A.\text{pre } p \text{ for } a)$
 $\& \forall kx \in \text{dom}((A.2.2.2.2).1).$

$ef = (A.2.2.2.2).1(kx) \Rightarrow$
 $B.\text{frame}(kx.1 \text{ affects } kx.2)$
 $\& B.\text{aframe}(kx.1 \text{ affects } kx.2)$
 $\& B.\text{rframe}(A.\text{effect } ef \text{ of } kx.1 \text{ on } kx.2)$
 $\& \forall kl \in \text{dom}((A.2.2.2.2.2).1).$

$snd = (A.2.2.2.2.2).1(kl) \Rightarrow$
 $(\forall tg : \text{Id}. (tg \in \text{map}(\lambda p.p.1; snd)) \Rightarrow B.\text{sframe}(kl.1 \text{ sends } \langle kl.2, tg \rangle))$
 $\& B.\text{bframe}(kl.1 \text{ sends on } kl.2)$
 $\& B.\text{rframe}(A.\text{sends } snd \text{ of } kl.1 \text{ on } kl.2)$

clarification:

ma-frame-compat($A;B$)

$\equiv_{\text{def}} \text{IdIdDeq} \forall a \in \text{dom}((A.2.2.2).1). p = (A.2.2.2).1(a) \Rightarrow B.\text{rframe}(A.\text{pre } p \text{ for } a)$
 $\& (: \text{Knd} \times \text{Id}) \text{product-deq}(\text{Knd}; \text{Id}; \text{KindDeq}; \text{IdDeq}) \forall kx \in \text{dom}((A.2.2.2.2).1).$

$ef = (A.2.2.2.2).1(kx) \Rightarrow$
 $B.\text{frame}(kx.1 \text{ affects } kx.2)$
 $\& B.\text{aframe}(kx.1 \text{ affects } kx.2)$
 $\& B.\text{rframe}(A.\text{effect } ef \text{ of } kx.1 \text{ on } kx.2)$
 $\& (: \text{Knd} \times \text{IdLnk}) \text{product-deq}(\text{Knd}; \text{IdLnk}; \text{KindDeq}; \text{IdLnkDeq}) \forall kl \in \text{dom}((A.2.2.2.2.2).1).$

$snd = (A.2.2.2.2.2).1(kl) \Rightarrow$
 $(\forall tg : \text{Id}. (tg \in \text{map}(\lambda p.p.1; snd) \in \text{Id}) \Rightarrow B.\text{sframe}(kl.1 \text{ sends } \langle kl.2, tg \rangle))$
 $\& B.\text{bframe}(kl.1 \text{ sends on } kl.2)$
 $\& B.\text{rframe}(A.\text{sends } snd \text{ of } kl.1 \text{ on } kl.2)$